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2 **Benchmarking an unstructured grid sediment model in an energetic estuary.**

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8

9 **Abstract**

10 A sediment model coupled to the hydrodynamic model SELFE is validated against a  
11 benchmark combining a set of idealized tests and an application to a field-data rich  
12 energetic estuary. After sensitivity studies, model results for the idealized tests largely  
13 agree with previously reported results from other models in addition to analytical, semi-  
14 analytical, or laboratory results. Results of suspended sediment in an open channel test  
15 with fixed bottom are sensitive to turbulence closure and treatment for hydrodynamic  
16 bottom boundary. Results for the migration of a trench are very sensitive to critical stress  
17 and erosion rate, but largely insensitive to turbulence closure. The model is able to  
18 qualitatively represent sediment dynamics associated with estuarine turbidity maxima in  
19 an idealized estuary. Applied to the Columbia River estuary, the model qualitatively  
20 captures sediment dynamics observed by fixed stations and shipborne profiles.  
21 Representation of the vertical structure of suspended sediment degrades when  
22 stratification is underpredicted. Across all tests, skill metrics of suspended sediments lag  
23 those of hydrodynamics even when qualitatively representing dynamics. The benchmark is  
24 fully documented in an openly available repository to encourage unambiguous  
25 comparisons against other models.

26

27 **Keywords:** sediment model, model validation, sediment dynamics, estuaries, Columbia  
28 River

## 29 **1 Introduction**

30 Sediment dynamics of estuaries control morphodynamic and biogeochemical processes  
31 with implications ranging from ecosystem function and health (Ferguson et al., 1996) to  
32 navigation (Meade, 1972) among other aspects of system sustainability, management and  
33 operation. Driven by tides and buoyancy, estuarine circulation commonly leads to a  
34 complex vertical structure of density and currents requiring three-dimensional modeling to  
35 represent the inherently depth-varying circulation and sediment processes. As a  
36 consequence, sediment modules have been developed for existing three-dimensional  
37 circulation models including structured grid models such as Delft3D (Lesser et al., 2004)  
38 and ROMS (Warner et al., 2008) and unstructured grid models including FVCOM (Chen et  
39 al., 2003), SUNTANS (Fringer et al., 2006), and SELFE (Zhang & Baptista, 2008) and its  
40 derivative SCHISM (Zhang et al., 2016). Regardless of the grid structure and specific  
41 numerics, sediment modeling systems generally solve the advection-diffusion equation for  
42 a user-defined number of suspended sediment classes with distinct approaches for  
43 boundary conditions, interactions with bathymetry, and bed load transport.

44 Validation of sediment models has consisted predominantly of idealized cases with  
45 assessments against analytical or laboratory results. Open channel cases without density  
46 effects requiring reproduction of a Rouse profile are a common test to evaluate suspended  
47 sediment dynamics (Lesser et al., 2004; Pinto et al., 2012; Warner et al., 2008). The trench  
48 migration test case of *van Rijn* (1986) is commonly used to evaluate simulation skill for  
49 predictive bedload and morphodynamic behavior (Lesser et al., 2004; Pinto et al., 2012;  
50 Warner et al., 2008). Idealized estuarine test cases that include density effects have been  
51 used to evaluate sediment behavior in controlled conditions, but lack quantitative solutions  
52 (Burchard & Baumert, 1998; Warner et al., 2008). Validation tests inclusive of short wave  
53 effects include both laboratory experiments (Lesser et al., 2004) and comparisons against  
54 field observations (Warner et al., 2008).

55 Realistic applications of suspended sediment models are frequently used to study  
56 processes associated with estuarine turbidity maxima (ETM). *Brenon & Hir* (1999) studied  
57 the development of the Seine ETM using a single non-cohesive class with a

58 parameterization derived from literature values. *Burchard et al. (2003)* used a single non-  
59 cohesive class characteristic of that system to simulate and study the Elbe ETM using  
60 GETM. *Lin et al. (2003)* characterized the ETM and a secondary turbidity maximum in the  
61 York River using a single non-cohesive class with other parameterizations derived from  
62 sensitivity studies. *de Nijs & Pietrzak (2012)* evaluated the skill of Delft3D to represent the  
63 characteristics of multiple ETMs in the stratified Rotterdam Waterway in realistic  
64 conditions using a single non-cohesive sediment size class, with the derivation of sediment  
65 parameterization details not disclosed. *Ralston et al. (2012)* used four non-cohesive  
66 classes with sediment parameterization based on previous studies to describe the effects of  
67 bathymetry on sediment transport in the Hudson using ROMS. In another study with  
68 multiple classes, *Ralston et al. (2013)* used three non-cohesive classes to study sediment  
69 dynamics along intertidal flats in the Skagit Bay using FVCOM with the parameterization  
70 derived from available observations and literature values.

71 The aim of this paper is to validate an unstructured grid sediment model coupled to SELFE  
72 through a combination of idealized test cases (barotropic open channel, barotropic trench  
73 migration, and baroclinic tidally driven estuary) and a realistic application to an energetic  
74 estuary. The idealized tests are drawn from literature, and are designed to assess model  
75 skill at representing essential processes: suspended sediment transport, erosion and  
76 deposition, bed load transport, and morphological evolution. Model sensitivity to  
77 hydrodynamic and sediment parameterizations are described and optimal results are  
78 qualitatively compared against previous work and available analytical, semi-analytical, or  
79 laboratory results. Field observations from endurance stations and shipborne  
80 instrumentation in Columbia River estuary, USA are used to assess model skill in  
81 representing observed sediment dynamics in the complex and energetic Columbia River  
82 estuary. To facilitate future model inter-comparison and to promote the improvement in  
83 skill of sediment models, the tests and data are publically available as a benchmark (Lopez  
84 & Baptista, 2016).

## 85 **2 Methods**

### 86 **2.1 Hydrodynamics model**

87 SELFE (Zhang & Baptista, 2008) solves the Reynolds-averaged Navier-Stokes equations  
 88 using both hydrostatic and Boussinesq assumptions. The governing equations are solved  
 89 in a semi-implicit finite element (P<sub>1</sub>-P<sub>NC</sub>) framework using a combination of numerical  
 90 methods. The advection of momentum is solved with a semi-Lagrangian method following  
 91 *Casulli & Cheng* (1992). Scalar transport is solved using either upwind or total variation  
 92 diminishing (TVD) Eulerian finite volume methods. Beyond the intrinsic differences  
 93 between upwind and TVD, in SELFE the upwind scheme includes an implicit calculation of  
 94 vertical flux, whereas TVD utilizes an explicit calculation resulting in a much slower time to  
 95 solution. Comparisons of upwind and TVD transport schemes reveal minor differences in  
 96 model skill of temperature and salinity in the Columbia River estuary. Because of the  
 97 minor differences in skill and large differences in computational cost, we chose to use the  
 98 much faster upwind scheme. Governing equations are closed by the general length scale  
 99 (GLS) equations (Umlauf & Burchard, 2005) implemented in either a native SELFE  
 100 implementation or by on-line coupling the GOTM library. The domain is discretized using a  
 101 triangular, unstructured mesh in the horizontal similar to a hybrid CD grid and a hybrid Z-  
 102 and S-level approach in the vertical.

103 In this paper we discuss the implications of two distinct treatments for the solution of the  
 104 momentum equation at the bottom boundary on represented sediment dynamics. As is  
 105 common in coastal hydrodynamic models, SELFE uses a bottom boundary condition where  
 106 the internal Reynolds stress is balanced with the stress from bottom friction

$$\nu \frac{\partial u}{\partial z} = \tau_b \quad 1)$$

107 where  $\nu$  is the vertical eddy viscosity,  $u$  is the velocity,  $z$  is the vertical coordinate, and  $\tau_b$  is  
 108 the bottom stress. Assuming a turbulent boundary layer, a logarithmic velocity profile in  
 109 the bottom boundary layer, and using turbulence closure theory to find the eddy viscosity  
 110 results in a constant Reynolds stress in the bottom boundary layer:

$$\nu \frac{\partial \mathbf{u}}{\partial z} = \frac{\kappa_0}{\ln(\delta_b/z_0)} \sqrt{C_D} |\mathbf{u}_b| \mathbf{u}_b \quad 2)$$

111 where  $C_d$  is the drag coefficient,  $z_0$  is the bottom roughness,  $\kappa_0$  is the von Karman,  $\delta_b$  is the  
 112 thickness of the computational cell, and  $\mathbf{u}_b$  is the bottom velocity (Zhang & Baptista, 2008).  
 113 Specifically,  $\mathbf{u}_b$  is taken to be the velocity at the top of the bottommost computational cell.  
 114 Traditionally in SELFE, the discretized momentum equation was solved from the free  
 115 surface to the top of the bottommost computational cell with the bottom node assigned a  
 116 velocity of 0 to be consistent with a log layer adhering to the law of the wall. A new  
 117 implementation, starting with version 4.0 of SELFE, solves the momentum equation from  
 118 the surface to the bottom node to be consistent with the finite element formulation  
 119 resulting in a non-zero velocity at the bottom node and an improved representation of the  
 120 bottom boundary layer. The two implementations produce distinct estimates of  $\mathbf{u}_b$  used in  
 121 Equation 2 resulting in distinct representations of bottom stress and shear. The  
 122 implications of the new bottom boundary treatment of momentum for sediment modelling  
 123 are discussed in idealized test cases. For convenience in differentiation, we refer to the  
 124 traditional implementation as “no-slip” and the newer treatment as “slip” recognizing that  
 125 formally both treatments are partial slip conditions.

## 126 **2.2 Sediment model**

127 The sediment model evaluated here is derived from the Community Sediment Transport  
 128 Model (CSTM) (Warner et al., 2008). The non-cohesive classes, bed property changes, and  
 129 bed morphology from the CSTM model were ported by *Pinto et al. (2012)* to work with the  
 130 unstructured grids and methods used in SELFE. The model used here is algorithmically  
 131 similar to *Pinto et al. (2012)*, but was substantially refactored to align more closely with  
 132 the original CSTM implementation. Minor implementation changes to improve stability  
 133 including limiting slopes and increasing checks for numerically undefined numbers were  
 134 required for the model to work in the Columbia River domain.

135 The sediment model solves for the time evolution of suspended sediments in three-  
 136 dimensions and morphological changes. Specifically, the model calculates the vertical  
 137 settling, bed load transport, and interactions with the bed through erosion and deposition

138 for a user-defined number of non-cohesive classes. Suspended sediment concentrations  
 139 are calculated by solving the advection-diffusion equation with additional terms for settling  
 140 velocity and horizontal velocity

$$\frac{\partial C_n}{\partial t} + u \frac{\partial C_n}{\partial x} + v \frac{\partial C_n}{\partial y} + w \frac{\partial C_n}{\partial z} = \frac{\partial}{\partial z} \left( \kappa \frac{\partial C_n}{\partial z} \right) + w_{s,n} \frac{\partial C_n}{\partial z} + F_h \quad 3)$$

141 where  $C_n$  is the sediment concentration of class  $n$ ,  $(u, v, w)$  are the directional velocity  
 142 components,  $\kappa$  is the eddy diffusivity,  $w_{s,n}$  is the settling velocity of class  $n$ , and  $F_h$  is the  
 143 horizontal diffusion. Equation 3) is solved using either the upwind or TVD transport  
 144 schemes in SELFE (Zhang & Baptista, 2008). The vertical movement of sediment is handled  
 145 using a hybrid WENO-PPM semi-Lagrangian method (Warner et al., 2008). Multiple bed  
 146 layers are supported and erosional flux is calculated using the method outlined by *Harris &*  
 147 *Wiberg* (2001). Specifically, the depositional flux,  $D_n$ , is calculated using

$$D_n = w_{s,n} \cdot C_b \quad 4)$$

148 where  $w_{s,n}$  is the settling velocity for sediment class  $n$  and  $C_b$  is the total sediment  
 149 concentration in the bottom cell. The erosional flux for sediment class  $n$ ,  $E_n$ , is defined as

$$E_n = \begin{cases} E_{0,n}(1-p)f_p \left( \frac{\tau_{sf}}{\tau_{cr,n}} - 1 \right), & \text{if } \tau_{sf} > \tau_{cr,n} \\ \mathbf{0}, & \text{otherwise} \end{cases} \quad 5)$$

150 where  $E_{0,n}$  is the bed erodibility constant,  $p$  is the porosity of the top layer of the sediment,  
 151  $f_p$  is the volumetric fraction,  $\tau_{sf}$  is the bed shear stress,  $\tau_{cr,n}$  is the critical shear stress,  
 152  $d_{50,n}$  is the median sediment diameter,  $\rho_{s,n}$  is the density of the sediment, and  $\rho_w$  is the  
 153 density of the water. Bed load calculations use the formulation of either *Meyer-Peter &*  
 154 *Müller* (1948) or *van Rijn* (2007). Updates to bathymetry resulting from erosion,  
 155 deposition, and bed load, the Exner equation, are calculated using the SAND2D bottom  
 156 update module (Fortunato & Oliveira, 2004). This module uses a finite volume method  
 157 where the sediment flux is conserved over the cells neighboring a node center using a  
 158 forward Euler time-stepping scheme. The sediment module is also two-way coupled to the  
 159 hydrodynamics of SELFE through the equation of state

$$\rho = \rho_o + \sum_{n=1}^N \frac{C_n}{\rho_{s,n}} (\rho_{s,n} - \rho_w) \quad 6)$$

160 where the new density  $\rho$  includes densities of water and each sediment class weighted by  
161 their respective concentrations.

### 162 **2.3 Model skill**

163 As is common practice in applied sediment modeling, an important part of the skill  
164 assessment in this paper is qualitative. However, we also explore quantitative metrics that  
165 are commonly used in circulation modeling: root mean square error (RMSE), Willmott  
166 Score (WS), Murphy Score (MS), correlation coefficient (Corr), and bias.

167 The root mean square error (RMSE) is defined as,

$$RMSE = \sqrt{\langle (m - o)^2 \rangle} \quad 7)$$

168 where  $m = m_{i=1}^n$  are the modeled time series,  $o = o_{i=1}^n$  are the observed times series, and  
169  $\langle \cdot \rangle$  indicates the average over the series. The primary advantage of using RMSE results from  
170 the intuitive interpretation because the metric and measured values sharing the same  
171 units. A disadvantage of using RMSE is the large weight outliers impart on the metric and  
172 that it does not provide a means to compare variables measured in different units.

173 In contrast, the Willmott score (WS) allows comparison between variables because it is  
174 non-dimensional (Willmott, 1981). The WS is defined as

$$WS = 1 - \frac{\langle (m - o)^2 \rangle}{\langle (|m - \langle o \rangle| + |o - \langle o \rangle|)^2 \rangle} \quad 8)$$

175 A frequent criticism of the WS is the yielding of high skill scores for unrelated time series  
176 (Ralston et al., 2010).

177 An alternative skill metric that is not as susceptible to outliers, is non-dimensional, and  
178 allows for comparisons between units is the Murphy Score (MS),



$$MS = 1 - \frac{\langle (m - o)^2 \rangle}{\langle (m_r - o)^2 \rangle} \quad 9)$$

179 where  $m_r$  is the reference model that is compared against. A Murphy Score of 1 indicates a  
 180 perfect model, 0 (zero) indicates that the model is equivalent to the reference model, and a  
 181 negative score indicates skill worse than the reference. In this study we typically use the  
 182 mean of the observations as the reference model. However, for the trench migration test in  
 183 Section 3.2 the reference model is the initial depth, and, following common nomenclature  
 184 in the morphological literature (Sutherland et al., 2004), we refer in that case to the  
 185 Murphy Score as the Brier Skill Score (BSS).

186 Finally, we also consider both correlation coefficient and bias for comprehensive purposes.  
 187 The correlation coefficient,  $Corr$ , is a measure of linear correlation between two signals  
 188 defined as

$$Corr = \frac{COV(m, o)}{\sigma_m \sigma_o} \quad 10)$$

189 where  $COV(m, o)$  is the covariance of model results  $m$  and observations  $o$  and their  
 190 respective standard deviations are denoted by  $\sigma_m$  and  $\sigma_o$ . The bias, is simply the mean  
 191 difference between the model results and observations.

192

### 193 **3 Idealized Tests**

#### 194 **3.1 Transport: Steady open channel**

195 This test evaluates the simulated transport of suspended sediment in an unstratified open  
196 channel and has been studied previously in *Warner et al. (2008)* and *Pinto et al. (2012)*.  
197 The domain is a long open channel ( $L = 10,000$  m,  $W = 1,000$  m,  $H = 10$  m) with a constant  
198 slope of  $4 \times 10^{-5}$  m m<sup>-1</sup>. The boundary conditions consist of a fixed depth of 10 m imposed  
199 at the downstream end and a logarithmic velocity profile applied at the upstream boundary  
200 with a depth-averaged velocity of 1 m s<sup>-1</sup>. The horizontal grid consists of 2,000 elements  
201 and 1,111 nodes, and 21 S-levels ( $\theta_b = 1$  and  $\theta_f = 3$ ) were used in the vertical. Both the  
202 SELFE and GOTM implementations of the GLS equations were tested to evaluate the effects  
203 of turbulence closure on the solution. Specifically, from the native SELFE GLS  
204 implementation we use  $k$ - $kl$ ,  $k$ - $\epsilon$ , and  $k$ - $\omega$  with the Kantha-Clayson stability function and  $k$ - $\epsilon$   
205 and  $k$ - $\omega$  with the Canuto-A stability function from the GOTM library (Table 1). Strict direct  
206 comparisons between SELFE and GOTM implementations of the GLS equations are not  
207 possible for any specific closure model. The SELFE implementation does not have an option  
208 for the Canuto-A stability function, and GOTM would not converge to a solution when using  
209 Kantha-Clayson. Nevertheless, the selected turbulence closure models demonstrate  
210 important differences between the GLS implementation in GOTM and SELFE.

211 We compare the effects of the selection of the turbulence closure model and bottom  
212 boundary treatment on eddy diffusivity, turbulent kinetic energy (TKE), suspended  
213 sediment concentrations (SSC) and velocity profiles against semi-analytical and analytical  
214 solutions. (J. Paul Rinehimer, personal communication; See Appendix). The analytical  
215 solution assumes a Prandlt number of 0.8, a logarithmic velocity profile, a no-slip bottom  
216 boundary treatment, a Rouse SSC profile, and setting the free parameter  $z_0$  to 0.0053 m to  
217 match the numerical experiments. The numerical semi-analytical solution is obtained from  
218 the numerical model by imposing a parabolic eddy viscosity,  $K_M$ , and eddy diffusivity,  $K_H$ ,  
219 instead of using a GLS turbulence closure model. The semi-analytical eddy viscosity and  
220 eddy diffusivity apply the same assumptions used in the calculations of the analytical  
221 solution.

222 Figure 1 shows the results using the “no-slip” bottom boundary described in Section 2.1.  
223 All turbulence closures capture the analytical solution of velocity well, but underestimate  
224 near-bed velocities (Panel A). The SELFE implemented closures tend to underestimate  
225 velocity. The semi-analytical solution uniquely overestimates velocity throughout the  
226 water column compared to the analytical solution. The eddy diffusivity (Panel C) is  
227 underestimated for all closures, consistent with the findings of *Warner et al. (2008)* and  
228 *Pinto et al. (2012)*. The native SELFE implementation of the GLS produces eddy diffusivity  
229 profiles distinctively skewed near the surface ( $k-\varepsilon$  and  $k-\omega$ ) and bottom ( $k-\varepsilon$ ), whereas the  
230 GOTM closures produce smoother, non-symmetric profiles. Profiles for TKE (Panel D)  
231 feature large spikes one level above the bottom for all closures, but are amplified for SELFE  
232 implemented closures. SSC profiles (Panel B) are underestimated compared to the  
233 analytical and semi-analytical solutions, as found in previous studies (*Pinto et al., 2012*;  
234 *Warner et al., 2008*). SSC profiles result from a balance of the sediment settling velocity  
235 and the upward velocity from the eddy diffusivity implicating the underprediction of  
236 erosion and eddy diffusivity in the resulting in the underestimate of SSC.

237 For contrast, Figure 2 shows results using the “slip” bottom boundary treatment. As was  
238 the case with the “no-slip” treatment, velocity profiles are well represented by all closures  
239 (Panel A), with the semi-analytical solution producing distinctive overestimations.  
240 However, all closures overestimate near-bottom velocities and most underestimate surface  
241 velocities when used with the “slip” bottom boundary. All closures again underestimate  
242 eddy diffusivity (Panel C), leading in aggregate to lower values than in the “no-slip” case.  
243 The convex shape near-the surface in the SELFE closures are still present, but are less  
244 severe and the near bed spikes are absent. Also, all profiles are now more symmetrical and  
245 thus, in that sense, closer to the analytical solution. The  $k-\varepsilon$  closures produce the largest  
246 diffusivities, with the SELFE native implementation leading to the largest maximum value,  
247 but the GOTM implementation most closely aligns with the analytical solution. For TKE  
248 (Panel D), the artificial near-bottom spikes are eliminated for GOTM closures and  
249 substantially reduced for SELFE implementations. Estimates of SSC (Panel B) are lower  
250 than those predicted in the “no-slip” case, which is attributed to the elimination or  
251 reduction of artificial near-bed TKE spikes.

252 Comparisons of bottom shear stress (used to calculate erosion), erosion rate, eddy  
253 diffusivity, and SSC are shown in Table 2. These results show that skill of SSC requires  
254 accurate predictions of eddy diffusivity and is less sensitive to deviations in bottom shear  
255 stress. The SELFE GLS implementations produce higher values of eddy diffusivity and,  
256 therefore, SSC, but at the cost of producing physically questionable profiles of eddy  
257 diffusivity and TKE. In contrast, the GOTM implementation predicts lower values of eddy  
258 diffusivity with smooth profiles that better match the shape of the semi-analytical and  
259 analytical solution. Given these tradeoffs, we believe that the combined use of the “slip”  
260 bottom boundary and GOTM for turbulence closure is the superior choice. We also note  
261 that this test highlights the inherent sensitivity of sediment models to model  
262 parameterization and numerical implementation, even in highly constrained tests.

### 263 **3.2 Bed dynamics: Trench migration**

264 This test is used to validate the implementation of suspended sediment, bed load, and  
265 morphology algorithms and is based on the flume experiments described in (van Rijn,  
266 1993). The domain is an open channel ( $L = 30$  m,  $W = 5$  m) with a constant slope of  $4.0 \times$   
267  $10^{-4}$  m m<sup>-1</sup> featuring a trench cut into the bed. The bed and suspended sediments are  
268 comprised of a single non-cohesive class  $D_{50} = 0.16$  mm with the settling velocity derived  
269 from the Stokes settling velocity and imposed as a constant value ( $w_s = 11$  mm s<sup>-1</sup>). The  
270 upstream hydrodynamic boundary condition consists of a constant velocity and depth ( $h_0$   
271  $= 0.39$  m,  $u_0 = 0.51$  m s<sup>-1</sup>) and suspended sediments are supplied upstream at a constant  
272 concentration of  $0.14$  kg m<sup>-3</sup> to ameliorate erosion. The model hydrodynamics and  
273 suspended sediment are spun up with a fixed bed until the currents and SSC reach a steady  
274 state after  $\sim 25$  minutes. The morphological algorithms are then enabled and the simulation  
275 proceeds for 15 h more. A global time step of  $0.375$  s, corresponding to a CFL (Courant-  
276 Friedrichs-Lewy) number of 1.5, was used based on sensitivity analysis (not shown) and is  
277 7.5 times longer than the used in *Pinto et al. (2012)*. The parameters were derived from  
278 sensitivity analysis to match observations of velocity and suspended sediment as described  
279 in *van Rijn (1986)* and to alleviate bed erosion upstream of the trench. We ultimately  
280 retained an erosion rate of  $0.7 \times 10^{-2}$  kg m<sup>-2</sup> s<sup>-1</sup>, compared to the rate of  $1.6 \times 10^{-2}$  kg m<sup>-2</sup> s<sup>-1</sup>  
281 used in *Pinto et al. (2012)*, which produced excessive erosion and trench migration in our

282 simulations. A summary of the model parameters is provided in Table 3.

283 Comparisons of profiles of suspended sediment and velocity between estimates of  
284 laboratory observations (markers, *van Rijn* (1986)) and model results (lines) are shown in  
285 Figure 3. Model profiles of velocity match observations most closely outside of the trench  
286 where a clear logarithmic profile is found in both the observations and model results.  
287 Stations within the trench show both slight overprediction and underprediction of velocity  
288 within a single profile, but are close to observations in magnitude. Profiles of SSC align  
289 with observations but have worse skill than the velocity profiles. In particular, the  
290 modeled SSC profiles underestimate concentrations near the bed. The underprediction of  
291 SSC is likely due to do a combination of underpredicted erosion and eddy diffusivity, as  
292 seen in the open channel case. Increasing the erosion rate yields increased SSC but  
293 produces excessive erosion and trench migration. The velocity and SSC skill appears to lag  
294 those produced by ROMS (Warner et al., 2008) and Delft3D (Lesser et al., 2004), but are  
295 similar to the results in Pinto et al. (2012). The trench migration is very similar to  
296 observations and aligns with the previously published results of *Pinto et al.* (2012) and  
297 *Warner et al.* (2008) despite using different parameters for erosion rate and critical stress.  
298 Skill scores for the trench migration case are shown in Table 4. The difference in the  
299 predicted final position of the trench results from underprediction of SSC and likely from  
300 underprediction of bedload transport.

301 Calibration simulations (not shown) confirm that the model is very sensitive to erosion  
302 rate parameterizations and must be carefully tuned to ensure that the SSC profiles align  
303 with observations. As in the open channel case in Section 3.1, this highlights the inherent  
304 uncertainty in sediment models in even highly constrained cases. However, the trench and  
305 open channel cases differ in some important respects. In particular, the calculated TKE in  
306 the upstream section of the trench does not exhibit the near-bed spike as seen in the open  
307 channel case, regardless of whether GOTM or SELFE are used for turbulence closure.  
308 Additionally, the GOTM eddy diffusivity deviates from a smooth profile near the surface,  
309 whereas the SELFE profile is very similar to that found in the open channel case (Figure 4).  
310 This likely results from the much higher vertical resolution used in this shallow test case

311 (30 vertical levels in 0.4 m) compared to the open channel case (21 vertical levels in 10 m)  
312 which is more representative of the resolution used in realistic scenarios.

313 Another difference is that, unlike in the open channel case (Section 3.1), trench migration  
314 results are largely insensitive to the selection of turbulence closure, but quite sensitive to  
315 the bottom boundary treatment (results not shown). This is because of the dominance of  
316 bed dynamics in the trench case whereas the open channel case lacks morphological  
317 evolution. Because the erosional flux is determined by near-bed velocities, changes in the  
318 treatment of the bottom boundary layer produce proportional changes in the bed  
319 evolution. This suggests that accurate simulation of near-bed velocities and bed properties  
320 are more important than turbulence closure in systems dominated by bed interactions.

321

### 322 **3.3 ETM dynamics: Idealized estuary**

323 This test is used to assess the ability of the sediment model to represent processes  
324 associated with the generation of an estuarine turbidity maximum (ETM). The test is  
325 derived from *Burchard & Baumert (1998)* and *Warner et al. (2007)*, who used variations of  
326 it to assess the importance of ETM related processes and to describe those processes over  
327 tidal time scales. The domain is effectively a two-dimensional open channel 100 km in  
328 length and 200 m in width. The domain features a constant sloping bottom starting with a 5  
329 m depth at the upstream boundary and ending with a 10 m depth at the downstream  
330 boundary. The ocean boundary is forced with a semi-diurnal displacement of the free  
331 surface with an amplitude of 0.4 m and a period of 12 hours and the constant imposition of  
332 salinity at 30 psu and temperature at 10 C. The upstream boundary is forced with a  
333 constant flux of  $80 \text{ m}^3 \text{ s}^{-1}$ , salinity of 0 psu, and temperature of 10 C. The hydrodynamics  
334 are allowed to spin-up for 14 days whereupon the initial conditions have been eliminated  
335 from the domain and a regular pattern of gravitational circulation has been established. We  
336 note that the solution to the problem is highly sensitive to the density forcing at the  
337 downstream boundary. Sensitivity tests (not shown) suggest that slight perturbations in  
338 the forcing results in both different spin-up period lengths and characteristics of the  
339 gravitational circulation patterns including salinity and SSC distribution.