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1 A Three-Dimensional Mechanistic Model of *Prorocentrum minimum*

2 Blooms in Eutrophic Chesapeake Bays

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Abstract

Planktonic Prorocentrum, a common harmful dinoflagellate, are increasing in frequency, 24 25 duration, and magnitude globally, as exemplified by the number of blooms of P. minimum in 26 Chesapeake Bay that have nearly doubled over the past 3 decades. Although the dynamics of transport and seasonal occurrence of this species have been previously described, it has been 27 challenging to predict the timing and location of P. minimum blooms in Chesapeake Bay. We 28 developed a new three-dimensional mechanistic model of this species that integrates physics, 29 nutrient cycling and plankton physiology and embedded it within a coupled hydrodynamic-30 31 biogeochemical model originally developed for simulating water quality in eutrophic estuarine 32 and coastal waters. Hindcast simulations reproduced the observed time series and spatial distribution of cell density, in particular capturing well its peak in May in the mid-to-upper part 33 of the estuary. Timing and duration of the blooms were mostly determined by the temperature-34 dependent growth function, while mortality due to grazing and respiration played a minor role. 35 36 The model also reproduced the pattern of overwintering populations, which are located in bottom 37 waters of the lower Bay, and are transported upstream in spring by estuarine flow. Blooms develop in the mid-upper parts of the estuary when these transported cells encounter high 38 nutrient concentrations from the Susquehanna River and favorable light conditions. Diagnostic 39 analysis and model-sensitivity experiments of nutrient conditions showed that high 40 nitrogen:phosphorus conditions favor bloom development. The model also captured the observed 41 interannual variations in the magnitude and spatial distribution of *P. minimum* blooms. 42

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Keywords: harmful algal blooms; *Prorocentrum minimum*; eutrophication; estuary; mechanistic
model;

46 **1. Introduction**

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The over-enrichment of Chesapeake Bay by nutrients has been well recognized and 48 49 documented (e.g., Fisher et al., 1992, 2006; Boesch et al., 2001; Hagy et al., 2004; Kemp et al., 50 2005; Brush, 2009). Between the 1950s and 1980s there was an increase in chlorophyll a (Chl a), corresponding to trends in nitrogen (N) loading to the Bay during this period (Kemp et al., 2005), 51 but since the 1990s, these increases have slowed (Harding et al., 2016). Although most of the Chl 52 a is dominated by diatoms, especially in spring, analysis of sediment cores has indicated that 53 relative abundances of dinoflagellates, cyanobacteria, and small flagellates have increased 54 significantly during the last half of the 20th century (e.g., Zimmerman and Canuel, 2002). Among 55 56 the dinoflagellates that have increased in recent years are several harmful algal bloom (HAB) taxa, which are now more frequent, and of significantly higher densities, than several decades 57 ago (Glibert et al., 2001; Kemp et al., 2005; Anderson et al., 2008; J. Li et al., 2015). For 58 example, the dinoflagellate Prorocentrum minimum is now observed in blooms at densities 3-59 fold higher than were noted in the 1970's, reaching 10⁸ cells L⁻¹ (Tyler and Seliger, 1978; Tango 60 61 et al., 2005; J. Li et al., 2015).

Earlier estuary-wide field surveys suggested that P. minimum originates from the lower 62 Chesapeake Bay in winter (no known cysts in sediments), moves upstream and develops into a 63 bloom in the mesohaline region in late spring (Tyler and Seliger 1978, 1981). Observations of P. 64 minimum since 1985 have been mostly based on biweekly or monthly measurements at a limited 65 number of water quality monitoring stations (Tango et al. 2005; J. Li et al., 2015) and do not 66 provide as complete a picture of the bloom distribution over the entire estuary as did the earlier 67 studies. Although the 3-fold increases in the cell density over the past few decades have been 68 shown to be correlated with the increases in nutrient loading (Tango et al., 2005; J. Li et al., 69

2015), a recent analysis of the monitoring data found that the peak bloom location shifts upstream or downstream in response to internannual variations in river flows, pointing to the possible effect of climate variability (M. Li et al., 2020). Understanding the mechanisms driving the long-term trend and interannual fluctuations of *P. minimum* biomass requires the development of a mechanistic model to complement the retrospective data analysis.

Planktonic Prorocentrum species are among the most commonly recognized harmful 75 algae that are increasing in frequency, duration, and magnitude globally (Heil et al., 2005; 76 77 Glibert et al., 2008; 2012); as of 2003, at least 56 species within the genus Prorocentrum were known to populate estuarine and marine waters (Gómez, 2005) and of these, at least six species 78 79 have been shown to form high biomass blooms (Glibert et al., 2012 and references therein). Blooms of P. minimum have been associated with anoxic/hypoxic events, finfish kills, 80 aquaculture shellfish kills and submerged aquatic vegetation losses (Heil et al., 2005). 81 82 Prorocentrum sp. has flourished in the estuaries of the U.S. East Coast as these systems have become increasingly eutrophic (Glibert et al., 2012 and references therein). 83

Despite the increasing prevalence of *Prorocentrum* blooms in Chesapeake Bay and 84 elsewhere, only a handful of modeling efforts have been reported for this HAB taxon. Most of 85 these efforts have been based on statistical or empirical models constructed from observational 86 87 data (e.g., Pertola et al., 2005; Xu et al., 2010; Brown et al., 2013; M. Li et al., 2020). Empirical-88 statistical models have been used for studying various HAB species, including toxic Pseudonitzschia blooms in Santa Barbara Channel (Anderson et al., 2009) and in Chesapeake Bay 89 (Anderson et al., 2010), Karenia brevis blooms in the Gulf of Mexico (Stumpf et al., 2009), 90 cyanobacterial blooms in Lake Erie (Obenour et al., 2014), Phaeocystis globosa blooms in Dutch 91 coastal waters (Blauw et al., 2010), and *Dinophysis acuminata* blooms in a coastal embayment in 92

Ireland (Raine et al., 2010). These models are only interpretable within the limits of the
observational data used to generate them (Franks, 2018), making them less reliable for predicting
HABs under a different set of forcing conditions such as a changing climate (Ralston and Moore,
2020; Glibert et al., 2020).

Coupling HAB models to three-dimensional circulation models is still a relatively 97 nascent field (Franks, 2018). For HABs where physical transport provides the dominant control 98 99 on bloom distribution, a Lagrangian approach, tracking passive particles or individuals with 100 behavior, has proven to be effective (McGillicuddy, 2010). Giddings et al. (2014) used particle tracking models to investigate two transport pathways to the HAB hotspots on the U.S. Pacific 101 102 Northwest. Y. Li et al. (2014) released particles nearly continuously at 7 sites previously suspected to be potential source regions of Alexandrium fundyense and tracked them as they 103 104 were moved in the Gulf of Maine. Pinto et al. (2016) tracked passive particles in a 3D circulation 105 model of the Iberian coast and showed the possibility of local HAB presence based on transport of toxic cells from distant point sources. 106

Another modeling approach applied to many HABs is process or mechanistic models that 107 are based on mathematical equations that describe HAB growth in terms of mathematical 108 formulation of biogeochemical and physiological processes such as nutrient uptake, 109 photosynthesis and grazing (Franks, 2018; Flynn and McGillicuddy, 2018). For example, 110 Gillibrand et al. (2016) coupled a 3D circulation model of Northwest European continental shelf 111 to an individual-based model of Karenia mikimotoi that simulates temperature-dependent 112 growth, mortality and photoaxis. In addition to the Lagrangian approach, an Eulerian approach 113 was developed to model the germination and growth rates of *Alexandrium fundyense* in the Gulf 114 of Maine (Stock et al., 2005; He et al., 2008; McGillicuddy et al., 2011). 115

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For HABs in which eutrophication is a major driver for their proliferation (Glibert et al., 116 2005), a mechanistic model needs to explicitly consider nutrient input, nutrient kinetics and 117 plankton physiology (Glibert et al., 2010, 2020; Flynn and McGillicuddy, 2018). Allen et al. 118 (2001) coupled a 3D circulation model to an ecosystem model (the European Regional Seas 119 Ecosystem Model or ERSEM), and used this coupled model to predict high biomass algal bloom 120 events on the Northwest European shelf. Although the model did not resolve specific algal 121 122 species, it was able to predict blooms captured in satellite remote sensing of Chl a since the 123 harmful algal species dominated the total phytoplankton biomass during the bloom periods. Vanhoutte-Brunier et al. (2008) added a specific module for toxic Karenia mikimotoi to ERSEM 124 125 and simulated the K. mikimotoi blooms in English Channel. A similar approach was used here to develop a mechanistic model for P. minimum. That is, a rhomboid strategy was used, 126 127 characterizing the individual HAB taxa against a background of other functional groups. This is 128 necessary because although eutrophication drives P. minimum blooms in Chesapeake Bay (J. Li et al., 2015), dinoflagellates like P. minimum typically only constitute 20-30% of the total 129 phytoplankton biomass, as diatoms dominate biomass much of the year (Harding et al., 2015). 130 Therefore, a 3D coupled biophysical model that not only simulates nutrient dynamics and total 131 phytoplankton biomass but also treats specific HAB specie as a separate state variable is needed. 132

Many questions regarding *P. minimum* bloom dynamics remain unanswered. Is the timing of the *P. minimum* bloom regulated by temperature-dependent growth rate, light availability, nutrient availability and/or grazing? Why does the bloom occur most frequently in the upper and mid Bay region even though *P. minimum* originates from the lower Bay? Is *P. minimum* growth limited by nitrogen or phosphorous or both? The 3D mechanistic model of *P. minimum* applied here integrates physics, nutrient cycling, physical factors and nutrient physiology, and is used to address the above questions. This model was coupled to an existing
hydrodynamic-biogeochemical model that simulates the hydrodynamics and the general nutrient
dynamics of Chesapeake Bay. It allowed us to consider multiple nutrients and seasonal dynamics.
The overall goal of this modeling study is to gain a better understanding of physical and
biogeochemical processes that regulate the seasonal dynamics of *P. minimum* blooms and their
geographic distributions in the estuary.

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146 **2. Methods**

The mechanistic model for *P. minimum* was built upon a 3D coupled hydrodynamic-147 148 biogeochemical modeling framework that was previously developed for investigating nutrient cycling and water quality in shallow water shelf and estuaries like Chesapeake Bay (Testa et al., 149 2014; M. Li et al., 2016). The hydrodynamic model is based on the Regional Ocean Modeling 150 151 System (ROMS) (Shchepetkin and McWilliams, 2005, 2009a, 2009b; Haidvogel et al., 2008), and the biogeochemical model is based on the Row Column Aesop (RCA) structure (Isleib et al., 152 2007; DiToro, 2001). In this study we developed a new model for P. minimum and incorporated 153 it into ROMS-RCA, and have termed this new integrated model ROMS-RCA-Prorocentrum. 154

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156 *2.1 ROMS configuration*

The ROMS hydrodynamic model was configured to cover the Chesapeake Bay and its adjacent shelf (M. Li et al., 2005). In the horizontal direction, the curvilinear coordinate system has 80 x 120 grid points, with a grid resolution of 590-1000 m (Fig. 1a). In the vertical direction, the sigma coordinate system has 20 evenly distributed vertical levels. ROMS is forced by freshwater discharge at river heads, water levels at the open boundary, and heat and momentum

flux across the sea surface. The freshwater input was prescribed for the 8 major tributaries of 162 Chesapeake Bay, based on measurements at US Geological Survey gaging stations. The offshore 163 boundary water level consists of tidal and non-tidal components. The tidal component was 164 provided by TPXO7 (Egbert and Erofeeva, 2002), and non-tidal component was extracted from 165 daily sea level measured at Duck, North Carolina, by National Oceanic and Atmospheric 166 Administration (NOAA). The air-sea heat flux and momentum flux were calculated using the 167 North America Regional Reanalysis (NARR) data. The vertical eddy viscosity and diffusivity 168 169 were parameterized using the k-kl turbulence closure scheme with the background value set at 1 x 10^{-6} m² s⁻¹, and the horizontal eddy viscosity and diffusivity were set to be constant (1 m² s⁻¹). 170 171 The ROMS model was initialized using climatological temperature and salinity conditions and run for a spin-up period of 3 years. This hydrodynamic model was previously validated against 172 173 the observational data (e.g., M. Li et al., 2005; Zhong and Li, 2006; M. Li et al., 2006; Xie and 174 Li, 2018; Xie et al., 2018).

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176 2.2 RCA Configuration

The RCA biogeochemical model is coupled to the ROMS hydrodynamic model in an 177 offline mode, and uses hourly averages of temperature, salinity, and transport terms from ROMS 178 to drive the biogeochemical variables (Testa et al., 2014). The RCA has a water-column 179 component (Isleib et al., 2007; Zhang and Li, 2010) and a two-layer sediment diagenesis model 180 (DiToro, 2001; Brady et al., 2013). The water-column model includes state variables 181 representing dissolved inorganic N, P, and Si, particulate and dissolved organic N and P, and 182 dissolved O₂. In its typical configuration, RCA simulates two generic phytoplankton groups with 183 different kinetics: one representing a winter-spring "diatom" group and one representing a 184

summer "dinoflagellates" group. RCA is driven by loads of dissolved and particulate nutrients 185 from river flows. In-river nutrient concentrations were obtained from monitoring stations within 186 8 tributaries the **ROMS-RCA** domain 187 the major entering (https://www.chesapeakebay.net/what/data). Nutrient concentrations at the offshore boundary on 188 the shelf were acquired from the World Ocean Atlas (Garcia et al., 2013) and Filippino et al. 189 (2011). The ROMS-RCA model has been previously validated and used in several modeling 190 191 studies (Testa et al., 2014; Li et al., 2016; Testa et al., 2017; Ni et al., 2020).

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193 *2.3 Prorocentrum minimum* parameterization

To embed *P. minimum* within RCA, a rhomboid strategy was used (DeYoung et al., 2004; Mitra and Davis, 2010): that is, *P. minimum* are modeled individually while the other plankton assemblages are represented by the aggregate functional classes, namely the winter-spring diatom group and summer dinoflagellates group. The rate of growth of *P. minimum* is simulated by solving the following equation:

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$$\frac{a(proro)}{dt} = G * proro - R_{res} * proro - R_{gz} * proro^2$$
(1)

where *proro* is the biomass of *P. minimum* measured by carbon (C, unit: mgC L⁻¹). The growth rate (*G*) of *P. minimum* depends on temperature (*T*), light, and nutrient concentrations in the water, such that:

$$G = G_T * G_{par} * G_N \tag{2}$$

204 where the specific growth rate

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205
$$G_{T} = \begin{cases} G_{p}e^{-\beta_{1}(T-T_{opt})^{2}} & (T \le T_{opt}) \\ G_{p}e^{-\beta_{2}(T-T_{opt})^{2}} & (T \ge T_{opt}) \end{cases}$$
(3)

is related to the maximum growth rate G_p (unit of d⁻¹) through the temperature-dependent functions shown above. T_{opt} is the optimal temperature for the maximum growth; and β_1 and β_2 are shape factors characterizing the window of optimal growth.

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The effect of light availability on *P. minimum* growth (G_{par}) is parameterized using the hyperbolic function given by:

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$$G_{par} = \frac{\alpha * PAR}{\sqrt{G_T^2 + (\alpha * PAR)^2}}$$
(4)

212 in which α is the slope of the P-I curve (in unit of ly⁻¹); PAR is photosynthetically active 213 radiation (in unit of ly d⁻¹) and attenuates with depth (*H*) exponentially:

214
$$PAR = PAR_{surf}e^{-k_dH}$$
(5)

where PAR_{surf} is the surface light intensity and k_d is the light extinction coefficient.

216 The effects of nutrient limitation on *P. minimum* growth are parameterized by:

217
$$G_N = min(G_{DIN}, G_{DIP}) = min(\frac{DIN}{DIN + K_{mn}}, \frac{DIP}{DIP + K_{mp}})$$
(6)

where DIN is dissolved inorganic N including NO₃⁻+NO₂⁻ (hereafter NO₃⁻) and NH₄⁺; DIP is dissolved inorganic phosphorous (hereafter PO₄³⁻); K_{mn} and K_{mp} are the half saturation constants corresponding to DIN and DIP, respectively; and $G_{DIN} = \frac{DIN}{DIN+K_{mn}}$ and $G_{DIP} = \frac{DIP}{DIP+K_{mp}}$.

The mortality rate of *P. minimum* consists of 2 parts: grazing ($R_{gz} * proro^2$) and respiration ($R_{res} * proro$). Since zooplankton are not explicitly modeled in RCA, R_{gz} is parameterized as a temperature dependent function:

224
$$R_{gz} = k_{gz} * \theta_{gz}^{(T-20)}$$
(7)

where k_{gz} is the grazing rate at 20°C and θ_{gz} is the temperature coefficient. R_{res} is parameterized by:

227
$$R_{res} = k_{rb} * \theta_{rb}^{(T-20)}$$
 (8)

where k_{rb} is the respiration rate at 20°C, and θ_{rb} is the temperature coefficient.

Values of the parameters in Equations (1)-(8) are determined according to published 229 physiological experiments on P. minimum (Table 1) and numerical sensitivity-analysis 230 experiments. For example, the maximum growth rate G_p reported in the literature ranges from 231 0.12 to 2.84 d⁻¹ (Heil et al., 2005), and our numerical sensitivity analysis showed that $G_p = 2.5 \text{ d}^{-1}$ 232 (Smayda, 1996) provided the best estimate for the bloom size of *P. minimum* in Chesapeake Bay. 233 Earlier studies of P. minimum in Chesapeake Bay (Tyler and Seliger, 1981) and in the 234 Mediterranean Sea (Grzebyk and Berland, 1996) suggested an optimal temperature growth 235 around ~25 °C (Fig. 2a). However, recent field observations of *P. minimum* in Chesapeake Bay 236 clearly showed highest bloom density at a temperature range between 13 and 25 °C (Tango et al., 237 2005; Fig. 2b). Herein T_{opt} = 20 °C provided a good overall fit to all four data sets available, 238 239 including those reported in Lomas and Glibert (1999). For α , the value obtained from the spatially- and annually-averaged P-I curve slope for phytoplankton in Chesapeake Bay was used 240 (Harding et al., 2002; M. Li et al., 2009). The reported half saturation coefficient K_{mp} for DIP 241 varied over a wide range, suggesting the presence of both low-and high-affinity transporters 242 depending on nutrient conditions. In an earlier study, Cembella et al. (1984) reported $K_{mp} = 1.96$ 243 μ M for *P. minimum*. However, the batch culture experiments by Ou et al. (2008) estimated K_{mp} = 244 245 0.25 µM for a similar species, P. donghaiense. Jiang et al. (2019) fitted a nutrient kinetic model 246 to culture growth data on P. donghaiense and found low K_{mp} values. It appears that P. minimum in Chesapeake Bay has high-affinity transporters and thus a value of $K_{mp} = 0.03 \,\mu\text{M}$ was selected 247 in the control model run, but additional model runs with other values of K_{mp} were conducted. 248 Since the swimming speed of P. minimum has a mean speed of $51.3 \pm 27.9 \,\mu\text{m/s}$ (Sohn et al., 249 250 2013), it was not considered in the model.

252 2.4 Hindcast simulations

Herein, ROMS-RCA-Prorocentrum model was first used to conduct a hindcast 253 simulation for a 10-year period between 2002 and 2011. The hydrodynamic modeling 254 component was initialized from a spin-up run over 2000-2001, and the biogeochemical modeling 255 component was initialized on January 1 every year, as done in Testa et al. (2014), M. Li et al. 256 257 (2016) and Ni et al. (2020). Observations of P. minimum were limited during winter; with only three monitoring sites recording cell density in the main stem of the Bay. To construct the initial 258 condition of *P. minimum* for the entire estuary, the limited winter data were interpolated using 259 260 the distribution reported in the estuary-wide surveys reported in Tyler and Seliger (1978). Model sensitivity-analysis experiments showed that the prediction of *P. minimum* blooms is insensitive 261 262 to the initial condition as long as a small seed population exists at the beginning of the year (see 263 Section 3.4 below). Finally, the boundary conditions for P. minimum at the river heads and continental shelf were set to 0 as there are no (or very limited data) observational evidence 264 suggesting that these are significant sources of *P. minimum* into the estuary. 265

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267 2.5 Model skill assessment

Taylor (Taylor, 2001) and Target (Jolliff et al., 2009) diagrams were constructed to quantify the model's skill in predicting the time series of NO₃⁻ and PO₄³⁻ at a number of monitoring stations in the estuary. In the Taylor diagram, the correlation coefficient r, the centered root-mean-square error E, and the ratio σ_n of the standard deviations of the modelpredicted field and the observed field are displayed by the location of one point (representing the model field) in relation to the reference point (representing the observed field). The Target diagram provides summary information about the pattern statistics as well as the bias, thus
allowing for an assessment of their respective contributions to the total rms. The normalized bias
is defined as the ratio of the bias to the observed standard deviations.

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278 **3. Results**

The ROMS-RCA-*Prorocentrum* was examined in 5 ways: 1) comparison of predicted nutrient concentration, Chl *a* and *P. minimum* abundances with observations; 2) seasonal dynamics of *P. minimum*; 3) environmental factors impacting blooms; 4) model sensitivity, and 5) model performance over multiple years.

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284 *3.1 Comparison with observations*

285 To illustrate the model comparisons with Chesapeake Bay Program (CBP) monitoring program data, the year 2006 is first used, given the density of available data for this year and the 286 observed bloom (Fig. 3a). Nutrient concentrations and Chl a were averaged over 3-month 287 periods to produce seasonal means for both surface and bottom waters. The distributions of NO₃⁻, 288 NH4⁺, PO4³⁻ and Chl *a* in the estuary were captured well by ROMS-RCA-*Prorocentrum* (Fig. 3). 289 The model-predicted NO₃⁻ follows the observed pattern well (Figs. 3b1-3b4 and 3f1-3f4). 290 291 Concentrations of NO₃⁻ displayed a strong longitudinal gradient, decreasing from a maximum at the head of the estuary to near zero concentration in the lower Bay, as the Susquehanna River in 292 the northernmost of the estuary delivers most of this external inorganic dissolved nitrogen. The 293 maximum NO3⁻ in the surface water was about 30 µM during the low-flow summer season but 294

similar longitudinal trend but at lower concentration. Concentrations of NH_4^+ were generally

averaged around 60 μ M during the other three seasons. The bottom water NO₃⁻ followed a

higher in the bottom water than in the surface water and showed weaker longitudinal variations than NO₃⁻ (Figs. 3c1-3c4 and 3g1-3g4). Since NH₄⁺ was mostly generated from remineralization of organic materials in the water column or from the efflux from the sediment (Testa et al., 2014), NH₄⁺ was higher during summer, reaching a maximum of ~15 μ M in the bottom water and ~5 μ M in the surface water.

Concentrations of PO₄³⁻ also decreased from the head to the mouth of estuary (Figs. 3d1-302 3d4 and 3h1-3h4). During spring and winter, most of PO₄³⁻ came from the rivers and had 303 concentrations less than ~0.5 μ M, with small differences between the surface and bottom waters. 304 During summer and fall, most of the PO4³⁻ was produced through internal biogeochemical 305 cycling, with the bottom water PO_4^{3-} concentrations reaching 2 μ M and the surface water PO_4^{3-} 306 reaching 1 μ M. During the summer, PO₄³⁻ in the bottom water was highest in the middle bay, as 307 PO₄³⁻ efflux from the sediment accelerated under the hypoxic condition (e.g., Hagy et al., 2004; 308 Kemp et al., 2005, 2009; Testa et al., 2014; M. Li et al., 2016; Ni et al., 2020). 309

The coupled model also captured the seasonal dynamics and longitudinal distribution of the total phytoplankton biomass (as measured by Chl *a*) (Figs. 3e1-3e4 and 3i1-3i4). Chl *a* was highest during spring and decreased along the center axis from the upper to lower Bay. Bottom water Chl *a* was also high due to the sinking of spring diatoms. Surface Chl *a* was nearly as large during summer and reached a maximum in the mid-Bay, but the bottom Chl *a* was much lower as the summer assemblage was less likely to sink. Chl *a* in fall and winter were lower. The model did a reasonable job capturing the temporal and spatial variations of Chl *a* in Chesapeake Bay.

The Taylor and Target diagrams (Fig. 4) quantify the model's skill in predicting the time series of NO_3^- and PO_4^{3-} at a number of monitoring stations in the estuary. In the Taylor diagram, the correlation coefficient r ranges from 0.7 to 0.9 for NO_3^- and ranges from 0.5 to 0.8 for PO_4^{3-} ,

indicating that the model captured the phase of nutrient seasonal variation well (Figs. 4a and 4c). 320 The normalized standard deviation σ_n for NO₃⁻ is about 1 at stations CB4.1C, CB4.2C, CB4.3C 321 and CB5.2, but is about 0.7-0.8 at CB3.1 and CB3.3C, indicating that the model under-predicts 322 the observed seasonal variations in NO₃⁻ there (Fig. 4a). Values of σ_n for PO₄³⁻ straddle 1 at 323 CB4.1C, CB4.2C, CB4.3C and CB5.2, but are lower than 1 (0.55-0.7) at CB3.1 and CB3.3C (Fig. 324 4c). In the Target diagram, the normalized bias was mostly positive (0 - 0.5) for NO_3^- and 325 negative (-0.5 - 0) for PO_4^{3-} , suggesting that NO_3^{-1} was slightly overpredicted and PO_4^{3-1} was 326 slightly under-predicted. The normalized root-mean-squared error fell with the range of 0.5 - 1, 327 corroborating the robust predictive skill of the model. 328

The model unit for P. minimum is carbon, mg C L⁻¹, although the observations are 329 330 reported as cell numbers. To compare the model data with the cell density in the monitoring data, a cell C content of 293 pg C cell⁻¹ (based on Dam and Colin, 2005), was used to convert the 331 predicted C concentrations to cell numbers. When doing so, the predicted time series of P. 332 *minimum* cell abundances were in agreement with the observed cell density at the monitoring 333 stations (Fig. 5), including the three stations in the main stem of the Bay (CB3.3C, CB4.3C, 334 335 CB5.2), one station in the Potomac River (largest tributary in the western shore, LE2.2), and one 336 station in the Choptank River (largest tributary in the eastern shore, ET5.2; Fig. 1b).

The ROMS-RCA-*Prorocentrum* model captured most of the seasonal variation of the observed *P. minimum* concentrations, including the often-observed peak bloom in May and the relative low concentration during summer. In the mainstem of the Bay, the two stations in the upper and middle parts of the Bay (CB3.3C and CB4.3C) recorded blooms during the month of May, with maximum cell densities reaching or exceeding 10⁶ cells L⁻¹. The cell density at CB5.2 in the lower part of the Bay was much lower. In contrast, *P. minimum* concentration at the two tributary stations in the mid-Bay was much higher, with the cell density reaching $(2-3) \times 10^6$ cells L⁻¹ (Figs. 5d and 5e). At CB4.3C, LE2.2 and ET5.2, a second bloom appeared in late fall.

Bloom size was also well simulated at the two upper Bay stations, but was overestimated 345 at the downstream station. The model underestimated the bloom size at the tributaries, especially 346 at ET5.2, likely due to coarse model resolution in the Choptank River. Overall, ROMS-RCA-347 348 *Prorocentrum* captured the seasonal variation and bloom size of *P. minimum* in most parts of the Bay. In terms of predictive skill, the r value was between 0.64 and 0.86 and the overall skill 349 score (Warner et al., 2005) was between 0.57 and 0.92 in the middle and upper parts of the Bay 350 where significant blooms was observed (Table 2). The model had a lower score of 0.23 at the 351 lower Bay station CB 5.2. 352

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354 *3.2 Seasonal dynamics of* P. minimum

The model herein reproduces well the conceptual notion that there are over-wintering populations of *P. minimum* in the lower Bay, and that a bloom develops in the upper and middle parts of Chesapeake Bay as spring progresses and as these cells are transported upstream. The 3D seasonal dynamics of *P. minimum* in Chesapeake Bay were simulated by ROMS-RCA-*Prorocentrum*, using 2006 again as the example.

During January and February, *P. minimum* concentrations were low throughout the Bay, but a small population was found in the lower Bay, particularly along the western tributaries – the James and York Rivers (Figs. 6a-6b). In March and April, *P. minimum* started to form in the middle parts of the Bay and in the neighboring tributaries (Figs. 6c-6d). During May, a *P. minimum* bloom developed in the middle and upper parts of the estuary, covering the mainstem between 38 and 39.2 °N, as well as the Potomac River (Fig. 6e). At this time, the cell density

reached over 10⁶ cells L⁻¹ in the mid- to upper Bay, while in the lower Bay much lower cell 366 concentrations, $< 0.3 \times 10^6$ cells L⁻¹, were observed. After peaking in May, the concentration of 367 *P. minimum* dropped quickly and remained at low levels ($\sim 1 \times 10^3$ to 1×10^4 cells L⁻¹) until 368 October (Figs. 6f-6j). Then, in November a second bloom started to form in the northern part of 369 the Bay between 38 and 39.2°N, but the cell density was lower than in May (5 \times 10⁵ to 10⁶ cells 370 L^{-1}). These predicted *P. minimum* distributions are in agreement with the observations at the 371 monitoring stations (Fig. 5); specifically during May, when stations north of CB 4.3C 372 experienced blooms of $\sim 1 \times 10^6$ cells L⁻¹, while stations downstream had much lower 373 concentrations (< 1×10^5 cells L⁻¹). The two tributaries also had larger blooms than stations in 374 the southern part of the main channel. 375

Examination of *P. minimum* distribution in the along-channel section, together with the 376 estuarine circulation field, provides further insights into the seasonal dynamics and spatial 377 distribution of this HAB species (Fig. 7). During the beginning of 2006, a small population of P. 378 minimum cells were located in the shallow lower Bay and mostly in the bottom water (Figs. 7a-379 380 7b). Starting in March, this bottom population was advected upstream by the landward flow in the bottom layer (Fig. 7c). By April, significant population extended over the lower and mid-Bay 381 regions (Fig. 7d). During March and April, the highest P. minimum concentration remained in 382 the bottom waters, but vertical mixing began to inject P. minimum cells upward into sun-lit 383 surface water. These cells then grew rapidly, as they had adequate light and nutrients. A large P. 384 *minimum* then bloom developed in May, with the highest concentration of 1.7×10^6 cells L⁻¹ at 385 ~180-230 km from the mouth of the estuary (Fig. 7e). The bloom occupied a depth range down 386 to 10-15 m. The bloom almost completely disappeared in June, with small residual populations 387 remaining in the upper Bay. After the peak bloom, P. minimum was quickly removed from the 388

water column throughout the bay and was hardly detected during summer and early fall (Figs. 7f-7j). In November, *P. minimum* cells appeared again in the middle-upper part of the Bay with a maximum concentration of $\sim 0.4 \times 10^6$ cells L⁻¹ in the surface water (Fig. 7k). The seaward flow in the surface layer transported these cells downstream, and a second bloom with a maximum concentration of $\sim 0.9 \times 10^6$ cells L⁻¹ can be found in the mid-Bay (Fig. 7l).

The model allows a more detailed look into the rapid development of the *P. minimum* bloom in spring (Fig. 8). On April 10, highest cell densities were found in the lower-Bay but a plume of *P. minimum* cells was beginning to be advected upstream by the estuarine return flow in the bottom layer (Fig. 8a). Within 10 days, some of these cells were mixed upwards into the sun-lit surface layer (Fig. 8b). A bloom started to develop on April 30 (Fig. 8c) and peaked around May 5 (Fig. 8d). The bloom area shrank in size by May 10 (Fig. 8e) and even more by May 30 (Fig. 8f).

401

402 3.3. In silico tests on the timing, duration and spatial distribution of P. minimum blooms

To understand why the bloom appeared in the particular regions of the mid- to upper Bay, 403 the along-channel distributions of NO_3^- and PO_4^{3-} during spring were compared against the P. 404 minimum distribution (Fig. 9). As the Susquehanna River flow increased during the spring, it 405 delivered NO_3^- and PO_4^{3-} , resulting in strong longitudinal gradients. At the head of the estuary, 406 NO₃⁻ concentrations were 50-100 μ M, and decreased to 10-30 μ M in the mid-Bay, and 5 μ M in 407 the lower Bay and also decreased from April to May due to phytoplankton uptake. PO4³⁻ 408 concentrations were ~0.5 μ M in the upper Bay, decreased to ~0.2 μ M in the mid-Bay and 0.05 409 μ M in the lower Bay. Overlaying NO₃⁻ and PO₄³⁻ distributions with those of *P. minimum* 410 411 suggests that the P. minimum bloom developed in the upper-middle parts of the estuary due to 412 high nutrient availability. However, this does not explain why blooms did not occur in the413 uppermost part of the estuary (250-300 km from the mouth of the Bay).

To further resolve the spatial distribution of P. minimum, we used the model outputs to 414 conduct a diagnostic analysis of various terms regulating the growth of *P. minimum*, as shown in 415 416 Eq. (1). Given the consistently high concentrations, N was not limiting over most of the upper and mid-Bay, with G_{DIN} in the range of 0.9-1 (Fig. 10a). On the other hand, concentrations of P 417 were more variable, and G_{DIP} was considerably smaller than G_{DIN} except in the shallow upper 418 419 Bay (Fig. 10b). In particular, G_{DIP} in the surface layer (down to ~10 m depth) dropped to ~0.3 towards the south. A comparison between G_{DIN} and G_{DIP} suggests that P was the more likely 420 421 limiting nutrient for *P. minimum* growth. The specific growth rate G_T [Eq. (3)] is a temperaturedependent function and was higher in the surface water than in the bottom water (Fig. 10c). The 422 423 longitudinal difference was relatively weak except in a region of strong vertical mixing (in the 424 upper Bay) which resulted in lower temperature in surface waters. The light limitation function G_{par} [Eq. (4)] showed strong depth dependence (Fig. 10d). It dictated no or very weak P. 425 *minimum* growth below 10 m depth. Due to high suspended sediment concentration and low light 426 penetration, G_{par} dropped to low values in the shallow upper Bay. This explains why the P. 427 minimum bloom did not occur there. Growth rate of P. minimum was highest in the region 428 429 between 180 and 230 km from the estuary's mouth and in the surface layer (Fig. 10e), consistent with the distribution of *P. minimum* population (Fig. 10f). No one-to-one correspondence was 430 expected, however, as the advection by the estuarine circulation and turbulent mixing 431 redistributed the biomass in the estuary. 432

Both the model results and the monitoring data at CBP stations showed that bloom onlylasted about one month. Such a short window for the bloom can be explained by comparing the

time series of the various terms in the growth function at a mid-Bay station CB4.1C (Fig. 11). 435 The surface temperature in Chesapeake Bay was 18-20°C in May, close to the optimum 436 temperature for *P. minimum* growth (Fig. 11a). However, G_T decays exponentially away from the 437 optimal temperature [Eq. (3)] such that its peak value of $(2.5 d^{-1})$ in May was much higher than 438 its summer value of less than 0.5 d⁻¹ (Fig. 11b). Together with the nutrient limitation (G_N) (Fig. 439 10c) and light limitation (G_{Par}) (Fig. 11d) at this mid-Bay location, the biomass growth rate 440 (defined as G^* proro) of P. minimum displayed a sharp and narrow peak in May (0.75 mgC L⁻¹ 441 442 day⁻¹) and dropped to near 0 during the summer months (Fig. 11e). This resulted in a bloom that only lasted for a month (Fig. 8). The biomass growth reached a smaller second maximum in late 443 444 fall as the water temperature fell back into the optimal growth window again (Figs.11b and 11e), leading to a fall bloom (Fig. 5). 445

446 The mortality rate of *P. minimum*, consisting of grazing rate and respiration rate, was 447 largely in sync with the time series of the growth rate but with a short phase lag of ~1 week (Figs. 11f-11g). In the model, loss of P. minimum due to grazing was made proportional to the 448 quadratic of P. minimum biomass in order to simulate the observed grazing rate on P. minimum 449 in Chesapeake Bay; while loss due to respiration is linearly proportional to biomass. As a result, 450 both the grazing and respiration rates were highly correlated to P. minimum cell concentration in 451 452 the time series. The mortality rate was much smaller than the growth rate. At the surface of CB 453 4.1C where *P. minimum* concentration was among the highest recorded, the biomass growth rate was ~0.75 mg C day⁻¹, while mortality due to grazing ($R_{gz}*proro^2$) and respiration ($R_{res}*proro$) 454 were 0.06 mg C day⁻¹ and 0.04 mg C day⁻¹, respectively (compare Figs. 11e-11g). This faster 455 biomass growth rate was essential to the formation of the P. minimum bloom. Furthermore, the 456 peak mortality lagged the peak biomass growth rate by about 1 week, suggesting that mortality 457

may have contributed to the decline of *P. minimum* bloom. Nevertheless, the duration of the
bloom was mostly determined by the temperature-dependent growth function and nutrient
limitation.

Two additional numerical experiments were conducted to explore nutrient limitation: one 461 removing DIN limitation [the first hyperbolic function in Eq. (6)]; one removing DIP limitation 462 [the second hyperbolic function in Eq. (6)]. The predicted P. minimum biomass from these two 463 model runs were compared with that obtained from the control model run that considered both 464 nutrients (Fig. 12). Compared to the control model run, the run without DIN limitation showed 465 similar annual maximum P. minimum concentrations in the northern part of the bay, but over-466 467 predicted the concentration in the southern part of the bay (compare Figs. 12a and 12b). In the monthly time series, both model runs predicted a peak bloom in May with similar maximum cell 468 concentrations (compare Figs. 12d and 12e). On the other hand, the experiment without DIP 469 470 limitation grossly over-predicted the maximum cell concentration by 2-5 fold (compare Figs. 12a and 12c). Moreover, the peak bloom occurred in April instead of May (compare Figs. 12d and 471 472 12f). This over-growth of P. minimum in April consumed a large amount of nutrient, leading to slower growth of *P. minimum* in May even though the temperature in May was more favorable. 473 These results clearly showed that DIP was the dominant nutrient regulating the P. minimum 474 475 blooms, in agreement with previous analysis (e.g., J. Li et al., 2015).

476

477 *3.4 Model sensitivity analysis*

Three groups of numerical experiments were conducted to examine how the model results are sensitive to the choice of specific growth rate, initial cell biomass, and the PO_4^{3-} half saturation value. 481 In the control run, the optimal temperature for maximum growth rate T_{opt} was set at 20 °C, as a way to reconcile recent observations of Tango et al. (2005) against earlier measurements 482 483 of Tyler and Seliger (1981) and the data from the in the Mediterranean Sea (Grzebyk and Berland, 1996) (see Figs. 2a and 2b). A model run was conducted using $T_{opt}=25$ °C, but the 484 model failed to capture the observed P. minimum bloom in May and the modelled cell density 485 remained low (Fig. 13a). Moving Topt to 25 °C delayed the peak P. minimum growing season 486 until June when the summer "dinoflagellates" group in the RCA model reached its maximum 487 growth rate and dominated the nutrient uptake. Both Tyler and Seliger (1981) and Grzebyk and 488 Berland (1996) suggested salinity dependence in the specific growth rate of P. minimum, as 489 shown in Fig. 2c. An empirical curve G_S was fitted to the experiment data and the specific 490 growth rate calculated as the product $G_T * G_S$. A model run was conducted using $G_T * G_S$ and the 491 predicted bloom size at CB3.3C was only marginally smaller than that obtained from the control 492 493 run (Fig. 13a). This is expected since G_S varies within a range of 40-60% except at very low salinity, but G_T varies over a range of 0.1 - 1 (compares Figs. 2a and 2c). Since G_S reaches a 494 495 maximum when salinity reaches 25, the *P. minimum* bloom developed in the lower salinity zones (5-15) of the mid and upper Bay would have a smaller biomass if G_S is considered. 496

In the second group of numerical experiments, the sensitivity of the results to the initial condition on *P. minimum* biomass was examined. Due to the paucity of observations of *P. minimum* during winter, the initial condition of *P. minimum* was constructed by interpolating the data at three monitoring stations using the distribution obtained from the early surveys (Tyler and Seliger, 1978). It is possible that the winter population of *P. minimum* have changed over the past few decades. Model runs designed to test initial conditions were conducted by multiplying the initial condition by factors of 0.5, 1.5, 2.5 and 3.0. As shown in Fig. 13b, there were only moderate (< 20%) differences in the predicted peak biomass among the model runs. This showed that the prediction of *P. minimum* blooms is relatively insensitive to the initial condition as long as a small seed population exists at the beginning of the year. The bloom size was mostly determined by the growth during the spring season (March to May) rather than the overwintering population (see Fig. 13b).

In the third group of numerical experiments, the sensitivity of the model to the choice of 509 the half saturation constant for PO_4^{3-} uptake was assessed (Fig. 13c). The predicted bloom size 510 was very sensitive to K_{mp} . In the model run with $K_{mp} = 1 \mu M$, no *P. minimum* bloom developed 511 since the surface PO_4^{3-} concentration was well below 1 μ M in most of the estuary (Figs. 3d1-d4). 512 No bloom of significant size developed in the model run with $K_{mp} = 0.1 \,\mu\text{M}$, either. In the model 513 run with K_{mp} =0.001 µM, however, a large bloom developed, with the predicted peak cell density 514 twice that of the observed cell density. These sensitivity analyses demonstrated that the control 515 516 run with $K_{mp} = 0.03 \,\mu\text{M}$ was calibrated well against the observations.

517

518 3.5 Multi-year model results

To assess interannual variability in model performance, simulations over 10 years (2002-2011) were conducted using the same set of parameter values used as described above for the year 2006. The only changes among the years were through the boundary forcing such as river flow, riverine nutrient loading, winds and air-sea heat fluxes, and offshore sea levels.

There were clear year-to-year differences in the bloom magnitude and spatial distribution based on the predicted cell concentrations and comparisons to observed cell densities in May (Fig. 14). During the wet years of 2003-2005 and 2011 (with higher river flow than the long-term average), the bloom spread downstream and occupied a wide area between 37.5 and 39 °N. In the two wet years of 2003 and 2005, both the model and data showed not only an extensive bloom area but also high cell density. In comparison, the observations in the wet years of 2004 and 2011 showed that the bloom also shifted downstream but the bloom magnitude was considerably smaller. A weak bloom was also observed in 2010 in a small upper Bay area around 38.7-39.2 °N. These small blooms were well captured by the model.

532 During the dry years of 2006, 2008 and 2009, the bloom was limited to the more northern 533 regions (between 38.5 and 39.2 °N), even though a bloom was still predicted for the Potomac 534 River tributary. Unlike other dry years, the observed bloom in 2007 spanned a wide area between 535 37.7 and 39.0 °N, which was reproduced by the model. In all, the general similarity between the 536 predicted and observed bloom distribution and size over 10-years affirms the model's predictive 537 skill.

538

539 4. Discussion

Building upon a coupled hydrodynamic-biogeochemical (ROMS-RCA) model, a mechanistic 540 model for P. minimum in Chesapeake Bay was developed, ROMS-RCA-Prorocentrum. A 541 rhomboid modeling approach was used, adding P. minimum to the two other functional 542 phytoplankton groups (winter-spring and summer species) in the previously developed RCA 543 544 model. Hindcast simulation of 2006 showed that the model reproduced the observed time series of cell density at the monitoring stations, with the bloom occurring in May, and the model 545 546 realistically located in the mid-to-upper part of the estuary. The goodness of fit of the model was confirmed by the correlation coefficient, r, between the predicted and observed cell density of 547 0.70, the root-mean-square error of 0.57×10^6 cell L⁻¹, and the mean absolute error of 0.37×10^6 548 cell L⁻¹. Moreover, skill metrics in predicting the time series of NO_3^- and PO_4^{3-} are comparable 549

with those reported in previous studies (e.g., Fennel et al., 2006; Glibert et al., 2010; Testa et al.,
2014; Feng et al., 2015).

There have been few mechanistic simulations of the dynamics of a HAB species using a 3D coupled hydrodynamic-biogeochemical model with complete nutrient cycling and other phytoplankton groups in eutrophic waters. A similar model for toxic *Karenia mikimotoi* was developed by adding a module for the HAB taxa into to an ecosystem model (the European Regional Seas Ecosystem Model) and applied to blooms in the English Channel (Vanhoutte-Brunier et al., 2008).

The ROMS-RCA-Prorocentrum model did not consider mixotrophic feeding which has 558 559 been shown to provide supplemental nutrition for P. minimum in Chesapeake Bay, particularly during nutrient starved conditions (Stoecker et al., 1997; Johnson, 2015). Stoecker et al. (1997) 560 observed ingested cryptophytes as orange-fluorescent inclusions (OFI) under an epifluorescent 561 562 microscope. However, OFI only appeared in <10% of the samples during April and May, although 50% of P. minimum contained OFI during the summer. Laboratory experiments by 563 Johnson (2015) showed that a *P. minimum* isolate from Chesapeake Bay ingested cryptophyte 564 prey when in stationary phase and when starved of N or P. It appears that P. minimum is a 565 proficient phototroph, and inducible phagotrophy can provide an important additional nutritional 566 567 source (Glibert et al., 2012; Johnson, 2015). The model skill herein was high without considering mixotrophy. Given that most of blooms appeared in spring (April and May) and mixotrophic 568 feeding occurred most frequently during the nutrient-poor summer condition, it was reasonable 569 not to consider mixotrophy in this first mechanistic model of Prorocentrum. However, 570 mixotrophy is an important nutritional strategy for many HAB species, and mechanistic models 571 are being developed (Flynn and Mitra, 2009; Lin et al., 2018), and will be reported elsewhere. 572

Zooplankton (including microzooplankton) are not explicitly modeled in the ROMS-RCA-*Prorocentrum* model. The grazing term on *P. minimum* is represented by a densitydependent mortality term with the grazing coefficient parameterized as a temperature dependent function. It has previously been reported that microzooplankton grazing on *P. minimum* in Chesapeake Bay was highest between the lower oligohaline and mesohaline regions and during the summer months (Johnson et al., 2003).

579

580 This modeling study confirmed 3 general characteristics of these blooms that have been previously described. First, the model confirmed the conceptual understanding of the seasonal 581 582 progression of P. minimum originally proposed by Tyler and Seliger (1978) but added new insights into mechanisms regulating the timing, duration and size of these blooms. Overwintering 583 populations in the southern most of the estuary were transported up-estuary by the estuarine 584 585 return flow in the bottom layer. Some cells were mixed to the sun-lit surface water through vertical mixing, where they encountered the spring freshet, favorable nutrient and light 586 conditions developed in the middle and upper parts of Chesapeake Bay. Diagnostic analysis of 587 the *P. minimum* equation [Eq. (1)] showed that the timing and duration of *P. minimum* blooms 588 was mostly determined by the temperature-dependent growth function which peaked around 20 589 590 ^oC and decayed exponentially at lower and higher temperatures. Mortality due to grazing and respiration was an order of magnitude smaller and only played a second role in the bloom 591 termination. Blooms were most abundant under conditions of elevated N:P. Model-sensitivity 592 analysis experiments showed that without P limitation, the predicted blooms may occur one 593 month earlier with the peak cell density 2-5 times higher than the observations (Fig. 12). 594

Second, the model reproduced the differences in spatial distribution of P. minimum 595 blooms that occurs between wet and dry years. The interannual variability in the river flow was a 596 major driver of the interannual shifts in the bloom distribution, as explored in a habitat model 597 based on the temperature and salinity tolerance of P. minimum (M. Li et al., 2020). However, the 598 habitat model failed to explain the observed cell distribution in some years. For example, no 599 blooms were observed during the wet year of 2004, but the habitat model predicted a favorable 600 601 habitat area spanning a large part of the mid-Bay. On the other hand, the cell density predicted 602 by the mechanistic model was in a good agreement with the observations (Fig. 14), suggesting that factors such as nutrient concentration could be important in controlling the bloom size. A 603 604 full mechanistic investigation of the interannual variability in P. minimum blooms will be reported in a future study. 605

606 Third, the model – and the numerical model experiments conducted herein – confirm the 607 conceptual model of nutrient relationships with respect to these blooms proposed by Glibert et al. (2012) and crystalizes the importance of variable half saturation constants for PO₄³⁻ in bloom 608 ecology and in the model. Glibert et al. (2012) hypothesized that P. minimum blooms may be 609 initiated at N:P levels that are less than Redfield, often stimulated by a "flush" of nutrients or 610 organic materials. Once growth rate increases, bloom biomass is able to increase, often reaching 611 612 near monospecific proportions at N:P values greater than Redfield. The P. minimum cells are able to sustain biomass levels through the ability to transport PO₄³⁻ very efficiently (i.e., high-613 affinity transporters, represented by low Ks values). Alternatively, at these low PO₄³⁻ conditions, 614 mixotrophic interactions may take on more importance, and this can be explored in future 615 modeling investigations. Thus, while high growth rates may allow blooms to initiate, adaptive 616 physiology is hypothesized to allow blooms to be maintained at less than maximal growth rates 617

and at non-optimal N:P ratios. The phenomenon of *P. minimum* blooms being sustained at
nutrient levels well in excess of classic Redfield proportions (elevated N:P conditions) has also
been illustrated in data from the Baltic Sea (Hajdu et al., 2005), the Delaware Inland Bays
(Handy et al., 2008), the Neuse River Estuary (Springer et al., 2005), and for the comparable *P. donghainese* species, the East China Sea (J. Li et al., 2009).

In summary, this modeling study has demonstrated how a rhomboid approach can be 623 used to configure a HAB model within an existing biogeochemical model. Although this model 624 was specifically parameterized for Chesapeake Bay and for P. minimum, the ROMS-RCA-625 *Prorocentrum* model herein should be able to be configured for comparable systems since the 626 627 coupled hydrodynamic-biogeochemical models ROMS-RCA have been applied to a number of shallow-water coastal systems and the modeling framework for *P. minimum* can be readily 628 629 adapted for other Prorocentrum species. This model can also be reparameterized for other HAB 630 species of Chesapeake Bay. Future iterations of this model will consider mixotrophy and climate change effects. 631

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912 **Figure Captions**

Figure 1. (a) The horizontal curvilinear coordinate system for ROMS-RCA model, every third grid line is plotted in both along- and cross-bay directions. The red dashed line marks the location of the along-channel section and the numbers indicate the distance to the mouth of the Bay. (b) The bathymetry of Chesapeake Bay. The black squares and open circles mark the location of observational sites used for model validation.

918 Figure 2. (a) Growth rate of P. minimum as a function of temperature. Blue open circles represent data from Tyler and Seliger (1981), red open circles represent data from Grzebyk and 919 920 Berland (1996), pink triangles represent data from Lomas and Glibert (1999), and dashed black line represents the growth curve adopted by the RCA model. All growth rates in (a) were 921 normalized by the corresponding maximum specific growth rate. (b) P. minimum habitat 922 923 suggesting favorable salinity and temperature conditions for bloom (filled black squares) in Chesapeake Bay (Modified from Tango et al. 2005). (c) Growth rate of P. minimum as a function 924 of salinity. Blue open circles represent data from Tyler and Seliger (1981), red open circles 925 represent data from Grzebyk and Berland (1996). Both growth rates were normalized by the 926 corresponding mean growth rate. Dashed black line is the fitted curve which was used in the 927 928 salinity sensitivity experiment.

Figure 3. (a) Observed time series of daily freshwater discharge (blue) and monthly total nitrogen (green) and phosphate (pink) load from Susquehanna River for year 2006. (b-i) Comparison between the predicted (red) and observed (black) nutrient and Chl *a* concentrations at stations along the main axis of Chesapeake Bay for year 2006 (left to right on the horizontal axis: upstream to downstream). Column (b)-(e) are for surface water and Column (f)-(i) are for bottom water. Rows 1 to 4 are for spring to winter seasons. Error bar represents standarddeviations from 3-month seasonal averages.

Figure 4. Taylor (left) and Target (right) diagrams for comparing the predicted and observed surface NO_3^- (top) and PO_4^{3-} (bottom) concentrations at several monitoring stations in Chesapeake Bay.

Figure 5. Comparison between the predicted (red) and observed (black) *P. minimum* cell concentration at 3 main stem stations (due to data availability) and 2 tributary stations in year 2006. The black open circles represent the observational monthly mean cell concentration, and the thick red line and red dots represent the model-predicted monthly and daily mean cell concentration, respectively.

Figure 6. Predicted monthly-mean *P. minimum* cell concentration in the surface water ofChesapeake Bay in 2006.

Figure 7. Predicted monthly-mean *P. minimum* cell concentration in the along-channel section.
The vectors are monthly-mean subtidal flow. Please note the range of color bar in (d)-(f) is
different from others.

Figure 8. Snapshots of *P. minimum* cell concentration in the along-channel section during the
development and decline of the bloom in 2006. The vectors are subtidal flows that filtered out
tidal signals using 40-hour butterworth filter.

Figure 9. Monthly-averaged concentration of (a-c) $NO_3^-+NH_4^+$, (d-f) PO_4^{3-} , and (g-i) *P. minimum* in the along-channel section during spring months. Filled color contours in (a)-(f) are in logarithm scale. Figure 10. Along-channel distribution of (a) DIN limitation, (b) DIP limitation, (c) specific
growth rate with black contour lines showing water temperature, (d) light limitation, (e) growth
rate (considering temperature, nutrient, and light effects), and (f) *P. minimum* cell concentration
during May.

Figure 11. Time series of the predicted (a) water temperature, (b) specific growth rate, (c) nutrient limitation, (d) light limitation, (e) biomass growth rate (G^*proro), (f) grazing loss rate $(R_{gz}*proro^2)$, (g) respiration loss rate ($R_{res}*proro$), and (h) cell concentration of *P. minimum* in the surface water of CB4.1C. The shaded yellow area in (a)-(b) mark the period when temperature is optimal for *P. minimum* growth. The dashed red lines in (e)-(g) indicate when biomass growth rate, grazing loss rate, and respiration loss rate reach the peak value, respectively.

Figure 12. Surface distribution of the annual peak *P. minimum* cell concentration from (a) control
run, and experiments with (b) no DIN and (c) no DIP limitation on algal growth. (d)-(f) Monthly
maximum concentration of *P. minimum* in Chesapeake Bay surface water from the same 3 runs.
The red lines represent the median value and the blue boxes spans the interquartile range.

Figure 13. Time series of surface *P. minimum* concentration at CB 3.3C from different sensitivity experiments. (a) Results from salinity effect and optimal temperature experiments. The pink line represents result from experiment with salinity effect and the green line represents result from experiment with optimal temperature at 25°C. (b) Results from initial condition experiments. Initial *P. minimum* concentration was scaled by 0.5, 1.5, 2, and 3 in each experiment. (c) Results from the half saturation coefficient K_{mp} experiments. K_{mp} = 0.001 μ M (green), 0.1 μ M (yellow), and 1 μ M (red) was tested. Figure 14. Surface *P. minimum* concentration averaged over May for each year between 20022011. Filled color contours are results from model predictions and filled color circles represent
observations.

979

980 **Table Captions**

- Table 1. Values of the parameters used in the *P. minimum* model.
- 982 Table 2. Correlation coefficient (r), root mean square error (RMSE), skill, mean absolute error,
- and mean error for model-data comparison of *P. minimum* cell density for 2006. Both model and
- 984 observational data were monthly averaged for these comparisons.

985

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Month



























Cell $imes 10^{6}$ 1.2 Concentration 0.8 0.4

1.6



















100 [W7] ⁺₅₀ ⁺ 50 25 5

0.5 0.03 [M] 0.03 c 0.03 c 0.04 0.2 0.01

P. min [$\times 10^{6}$ Cell L⁻¹ 2 1.5 1 0.5 0











Distance from Bay Mouth [km]



10



0.8













Table 1. Values of the parameters used in the *P. minimum* model.

Variable Name	Variable Value	Unit	References	Range of reported values	
G_{p}	2.5	d ⁻¹	Smayda (1996) and references reviewed in Heil et al. (2005)	0.12-3.54	
α	0.019	$1y^{-1}$	Harding et al. (2002)	0.007-0.027	
K _{mn}	1.0	μM N	Taylor et al. (2006) Glibert et al. (2012)	0.54-23.3	
K _{mp}	0.03	μM P	Cembella et al. (1984) Ou et al. (2008) Jiang et al. (2019)	0.0003-1.96	
T _{opt}	20	°C	Tyler and Seliger (1981) Grzebyk and Berland (1996) Lomas and Glibert (1999) Tango et al. (2005)	19.0-25.0	
eta_1	0.007		Tyler and Seliger (1981)	0.004-0.01	
β_2	0.02		Lomas and Glibert (1996)	0.01-0.035	
k _{gz}	0.1	d^{-1}	Johnson et al. (2003)	k * 0 (T-20) = [0, 15, 4, 0]	
θ_{gz}	1.15		Dam and Colin (2005)	$\kappa_{gz}^* \theta_{gz} = [0.15 - 4.0]$	
k _{rb}	0.1	d^{-1}	Hail (2005)	(T-20) 50.05 0.11	
θ_{rb}	1.15		neii (2005)	$\kappa_{gz} = [0.05 - 0.1]$	

Table 2. Correlation coefficient (r), root mean square error (RMSE), skill, mean absolute error, and mean error for model-data comparison of *P. minimum* cell density for 2006. Both model and observational data were monthly averaged for these comparisons.

	CB3.3C	CB4.3C	CB5.2	LE2.2	ET5.2
ľ	0.86	0.86	0.52	0.64	0.64
RMSE (×10 ⁶ cell L ⁻¹)	0.26	0.20	0.33	0.86	1.18
Skill	0.90	0.92	0.23	0.69	0.57
Mean Absolute Error $(\times 10^{6} \text{ cell L}^{-1})$	0.21	0.16	0.22	0.52	0.74
Mean Error (×10 ⁶ cell L ⁻¹)	-0.07	0.00	-0.18	0.20	0.57

